



Search for new physics with high pT leptons

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on behalf of the CMS collaboration

Outline

- Introduction
- CMS in brief
 - ECAL
 - muon system
- High- p^T leptons and analysis strategy
 - reconstructions
 - selection
- Searches with high- p^T leptons in the final state
 - $Z' \rightarrow l\bar{l}$
 - $W' \rightarrow l\nu$
 - scalar LQ pair $\rightarrow l\bar{l}jj$
- Summary

Motivations

- Many physics theories have been built to extend the SM
- These theories foresee a quantity of new particles
- Look for of new physics with high- p^T leptons in the final state

- Left-right symmetry of electroweak interactions
 - Extend the SM gauge group to include right-handed interactions
- Extra dimensions
 - Kaluza-Klein (KK) tower of heavy copies of all SM fields
- General extensions of the SM gauge group
 - e.g. Little Higgs models
-

} W' , Z'

- Technicolor
- GUT
- Composite models
 - Higgs not just an elementary particle
-

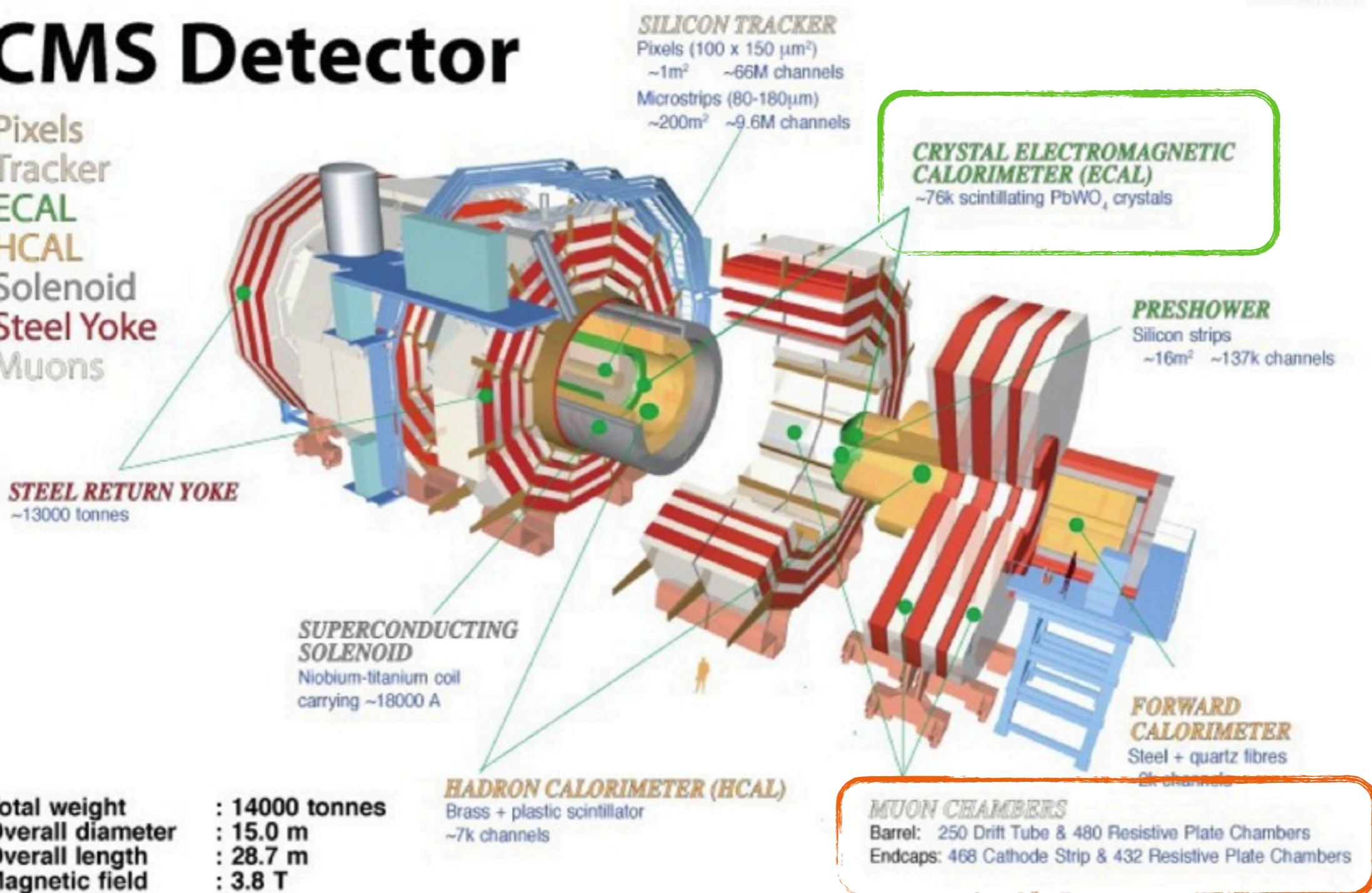
} LQ

The CMS detector

- Full 2010 dataset used in the analysis presented ($\sim 35 \text{ pb}^{-1}$ @ 7 TeV)

CMS Detector

Pixels
Tracker
ECAL
HCAL
Solenoid
Steel Yoke
Muons

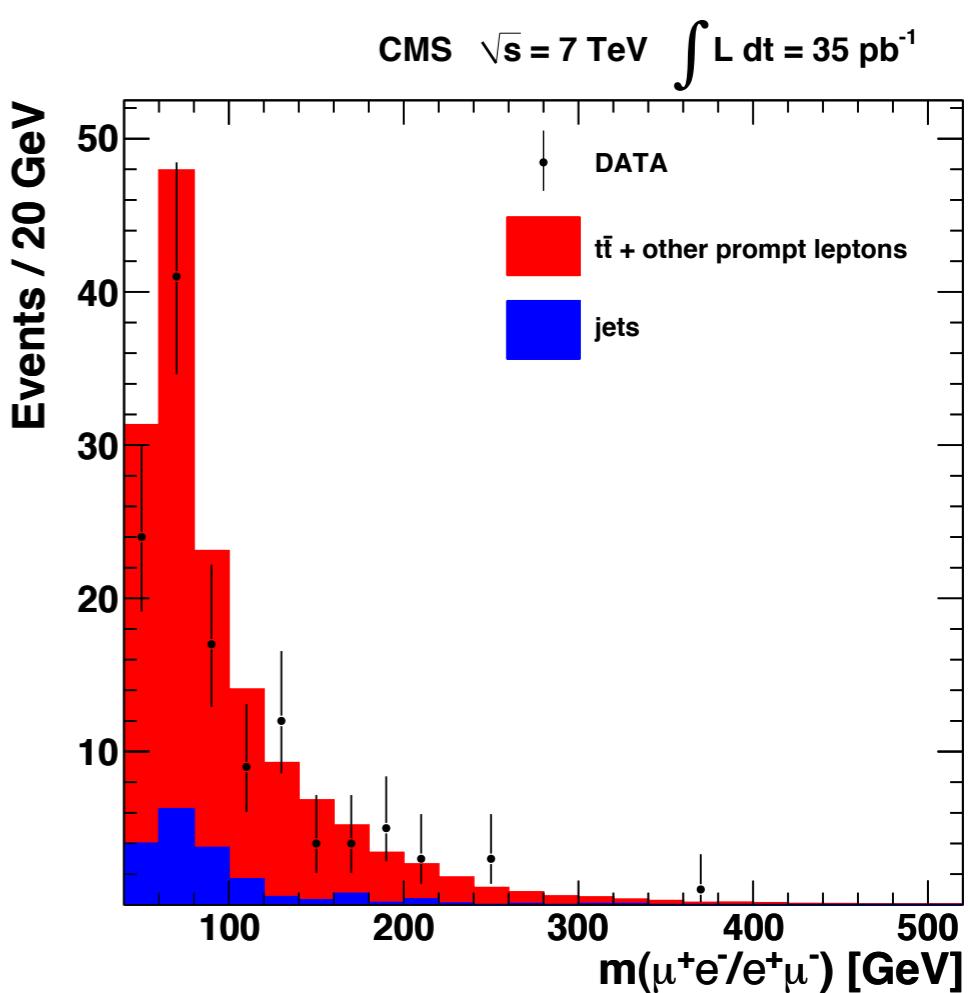
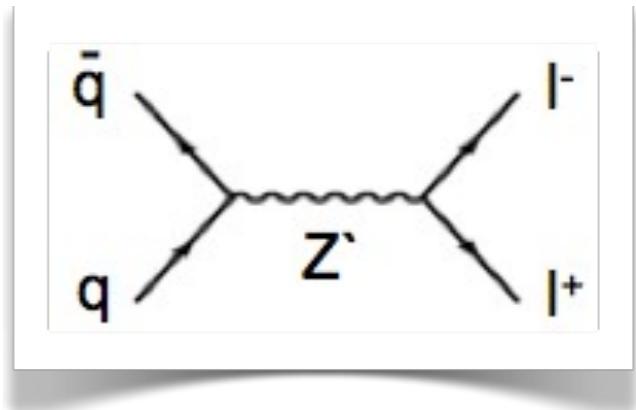


High p^T leptons and strategy

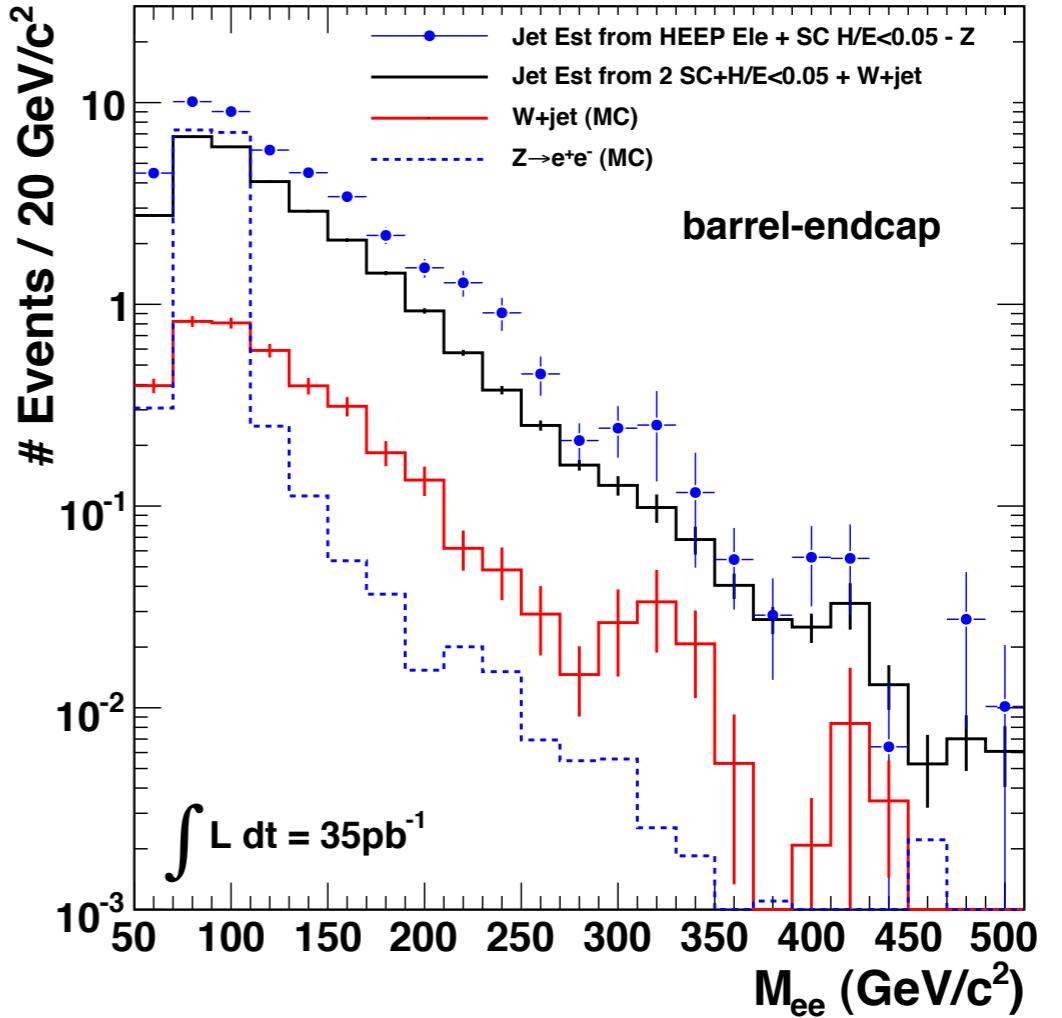
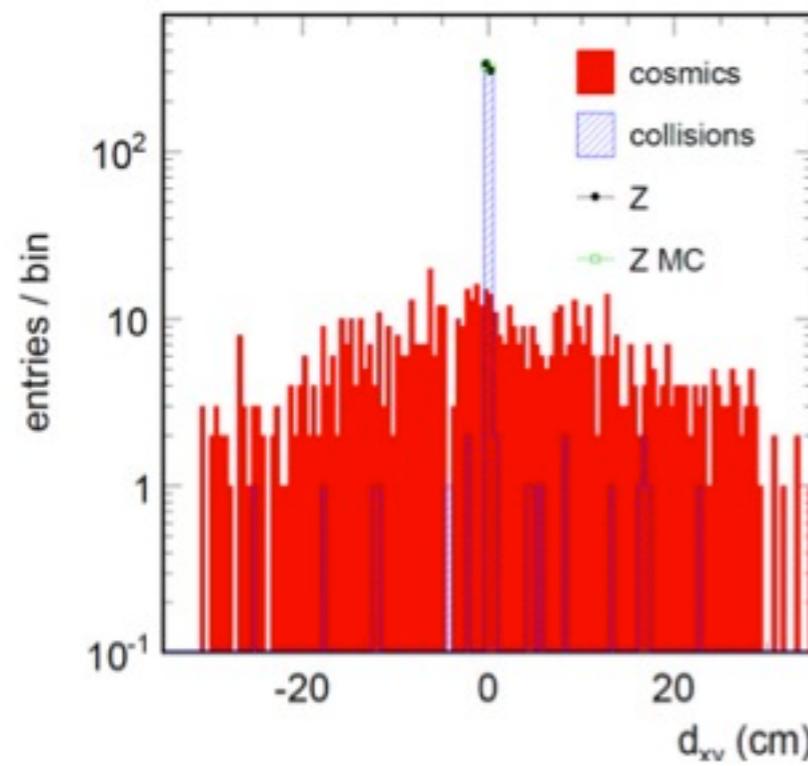
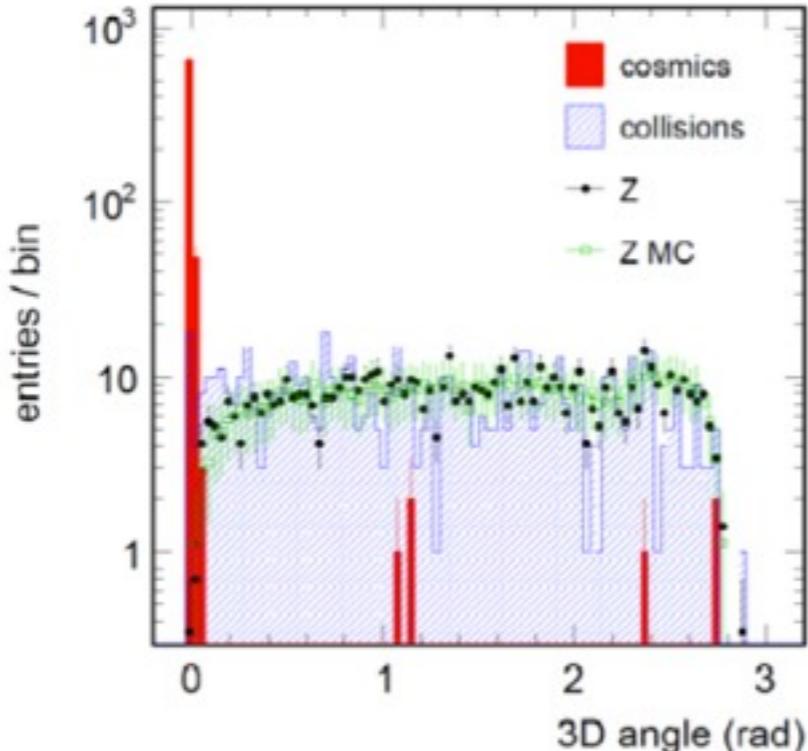
- Detect high- pT leptons means to optimize reconstruction and identification in order to maximize the efficiency in the high- pT region
 - Electrons:
 - Electromagnetic clusters with consistent shower shape
 - Spatially matched to a reconstructed track in η and φ
 - Isolated in calorimeter and tracker
 - Muons:
 - Tracks in muon system matched to tracks in inner tracking system
 - Isolated in tracking system and calorimeter
 - More than 10 hits in silicon tracker
 - Transverse impact parameter < 2mm
- Robust and efficient lepton trigger is needed
- General strategy:
 - excess in data in the high P_T region with respect to the SM expectations (MC)
 - if no excess is observed -> determine the exclusion limit.
- It is crucial to have a good description of the backgrounds
 - accurate shape model
 - accurate normalization

- Clean signature with 2 high- p_T leptons in the final state passing the eleId or muId
- Focus on Z' and RS Graviton models as benchmark
- Complementary searches: lepton univer., different subdet., ...
- Main backgrounds:
 - SM Drell-Yan → irreducible
 - normalized to data
 - TTbar + TTbar-like → two real leptons ($t\bar{t}$, WZ, WW, tW, Z → $\tau\tau$)
 - Jet Background → jet fakes a lepton (W+jet, di-jet)
 - fake rate method
 - Cosmics muons bkg → di-muons from cosmic-rays
 - impact parameter selection
 - 3D angle between the two muons selection
- The bkg with prompt leptons is from MC but cross checked against the e-mu spectrum

	M>60 GeV/c ²	M>120 GeV/c ²	M>200 GeV/c ²
data	95 ± 10 (stat)	33 ± 6 (stat)	6 ± 2 (stat)
MC	80.4 ± 2.4 (sys)	27.1 ± 0.8 (sys)	7.0 ± 0.2 (sys)

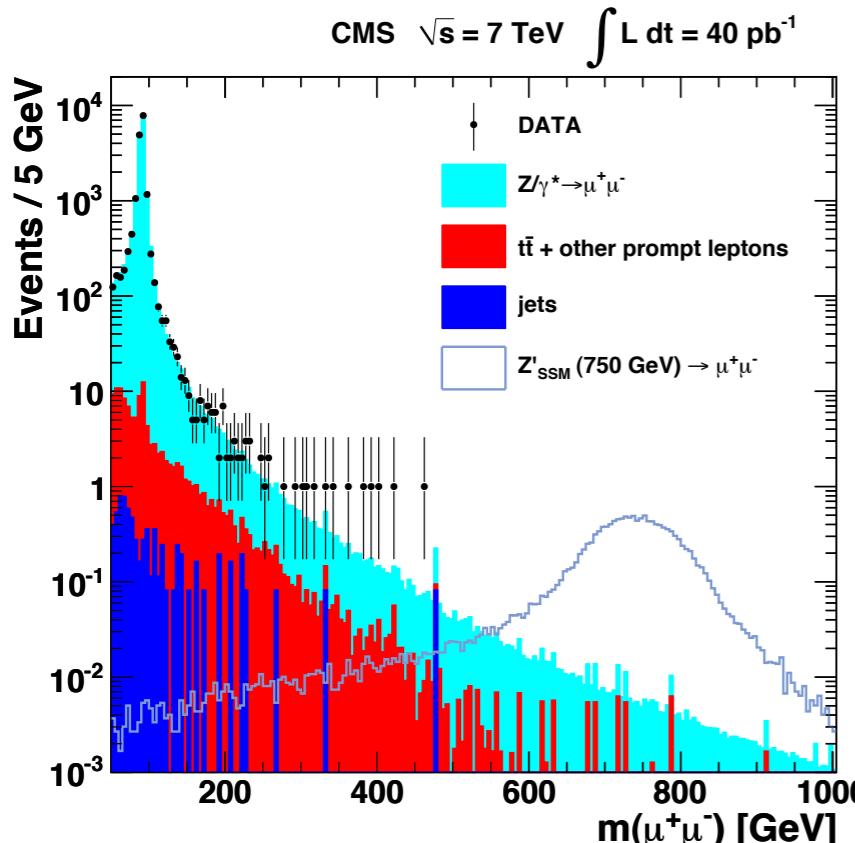
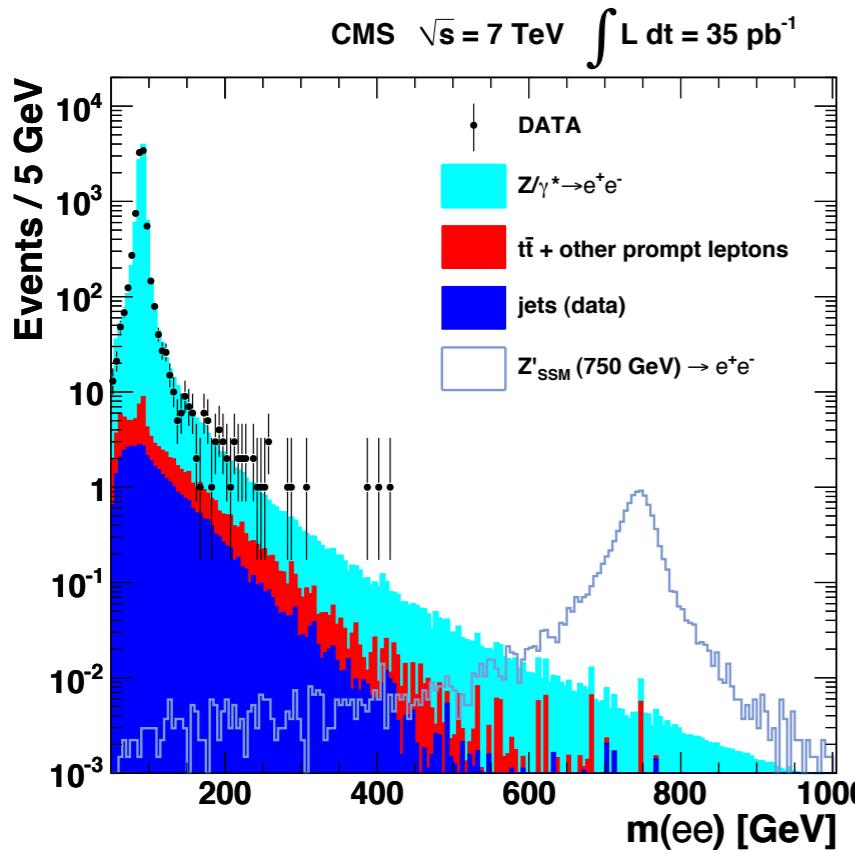


Cosmics and jets background



- Measure probability (or fakerrate) for a jet which is reconstructed as a *SC* with $H/E < 0.05$ to pass *eleId* selection
- Apply it to 2 *SC* or 1 *SC* + 1 *HEEP* events
- Take difference between two estimates as fake rate systematic

Final selection and results

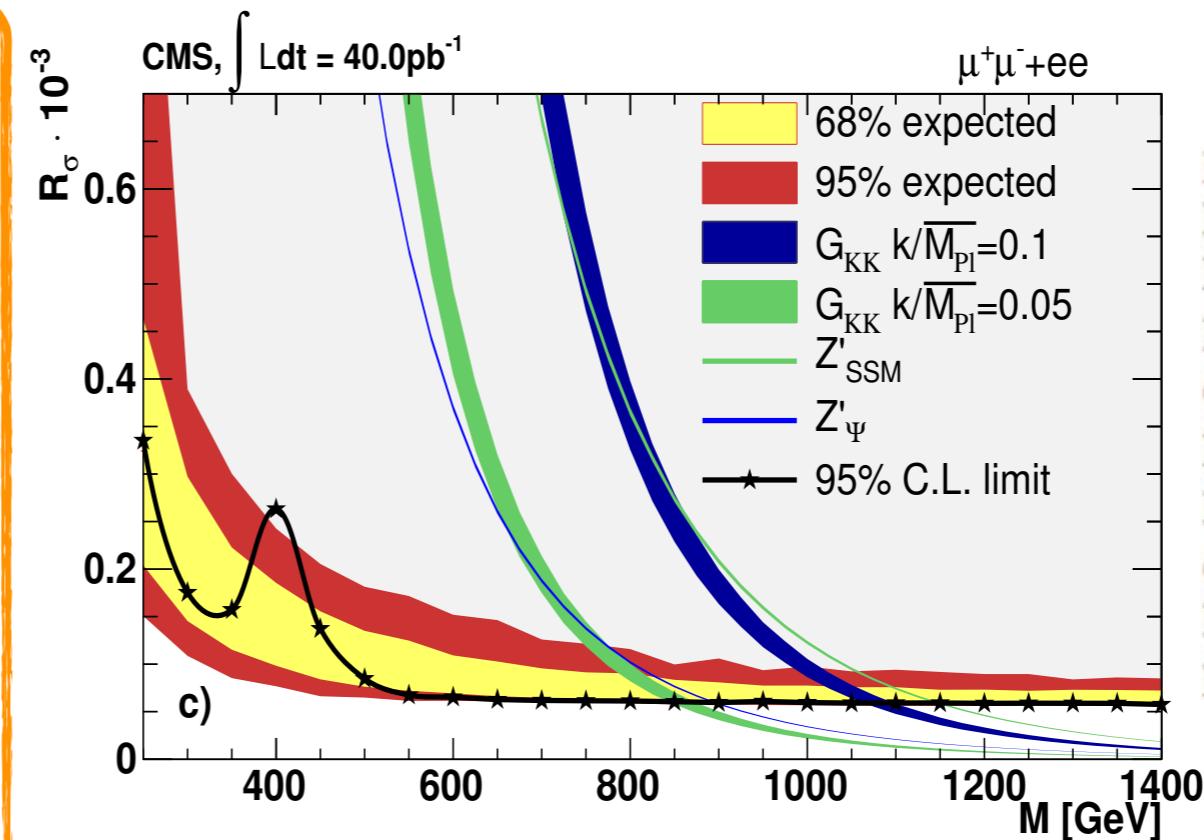


- By focusing on the ratio, the uncertainty on the integrated lumi is eliminated

$$\frac{\sigma \times BR(Z')}{\sigma \times BR(Z^0)} = \frac{N(Z')}{N(Z^0)} \times \frac{A(Z^0)}{A(Z')} \times \frac{\epsilon(Z^0)}{\epsilon(Z')}$$

Channel	$\mu\mu$	ee	combined
Z_{SSM}	1027 GeV	958 GeV	1140 GeV
Z_Ψ	792 GeV	731 GeV	887 GeV
$G_{KK}, k/M_{\text{Pl}} = 0.05$	778 GeV	729 GeV	855 GeV
$G_{KK}, k/M_{\text{Pl}} = 0.10$	987 GeV	931 GeV	1079 GeV

Exclusion @ 95% C.L.



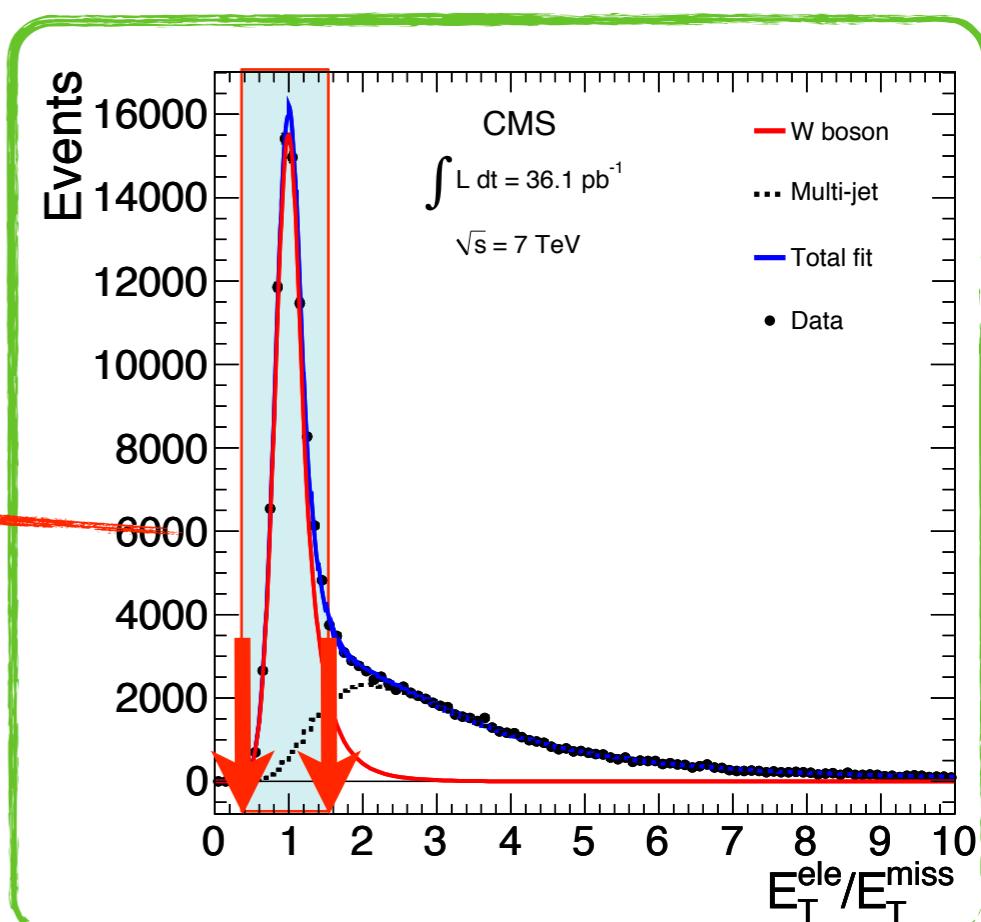
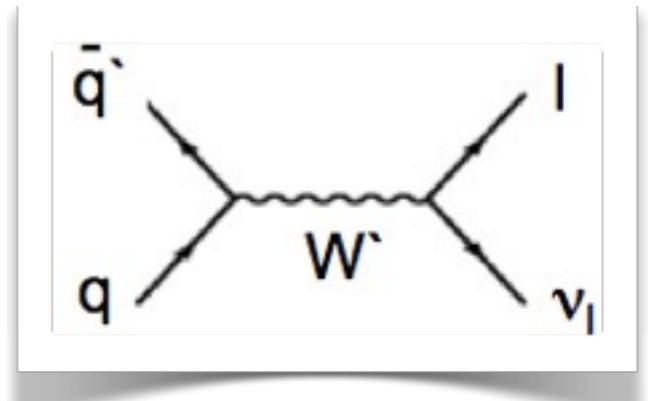
Published CDF/D0 limits
D0, ee, gamma-gamma 5.4 fb^{-1} :
 $M(Z'_{\text{SSM}}) > 1023 \text{ GeV}$
 $M(G_{KK}, k/M=0.1) > 1050 \text{ GeV}$
CDF, mu mu, 2.3 fb^{-1} :
 $M(Z'_{\text{SSM}}) > 1030 \text{ GeV}$
 $M(G_{KK}, k/M=0.1) > 921 \text{ GeV}$
CDF, ee, 2.5 fb^{-1} :
 $M(Z'_{\text{SSM}}) > 963 \text{ GeV}$
 $M(G_{KK}, k/M=0.1) > 848 \text{ GeV}$

- Altarelli reference model tested (carbon copy of SM W boson)
- Signature: single and isolated high-pT lepton + large MET

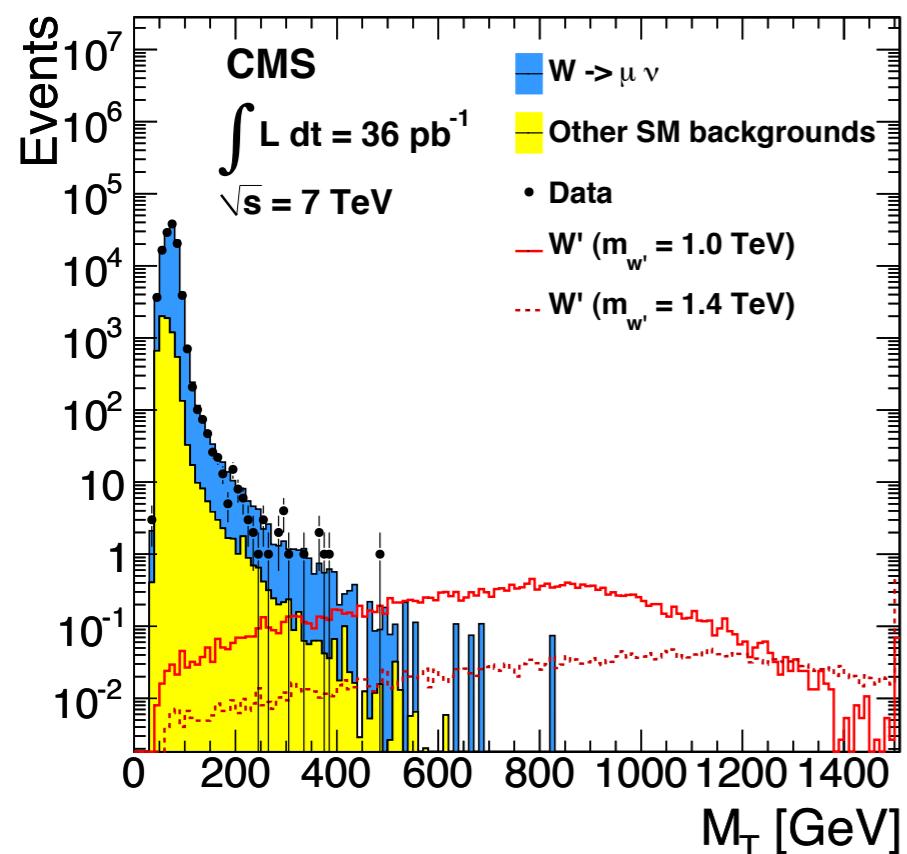
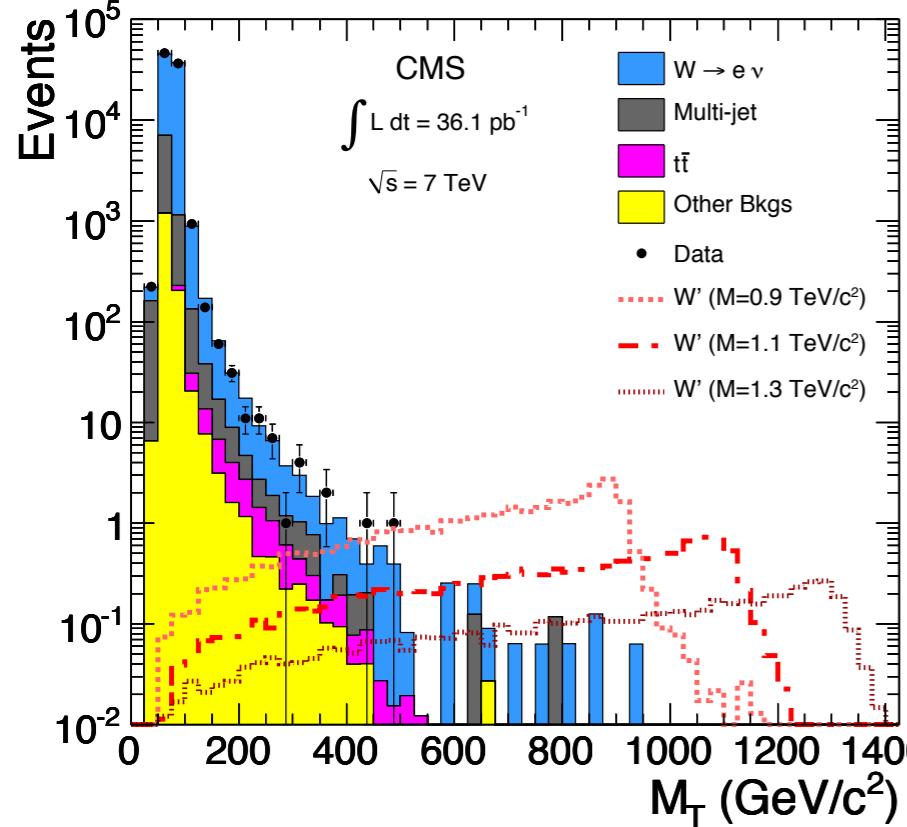
- Kinematic selections:
 - $\Delta\phi(\text{lepton, MET}) > 2.5$
 - $0.4 < \text{lepton ET} / \text{MET} < 1.5$
- } lepton and MET balance:
both module and direction

- Main background: irreducible Standard Model $W \rightarrow l\nu$
- Bkg estimate in the high-pT region: two different approaches for electron and muon channels

- Invert the isolation requirement and use the shape of M^T from non-isolated electrons
- Fit data E^T/MET distribution with QCD template (from non-iso) + W template (from MC), leaving the two normalizations as free parameters.
- M^T spectra are normalized to the template area in the region $0.4 < E^T/\text{MET} < 1.5$
- Sideband fit in a region where signal $\sim 1\%$
 - Breit-Wigner fit in the range: $180 \text{ GeV} < M^T < 350 \text{ GeV}$
 - Extrapolation in the high-pT region
 - Cross check with MC

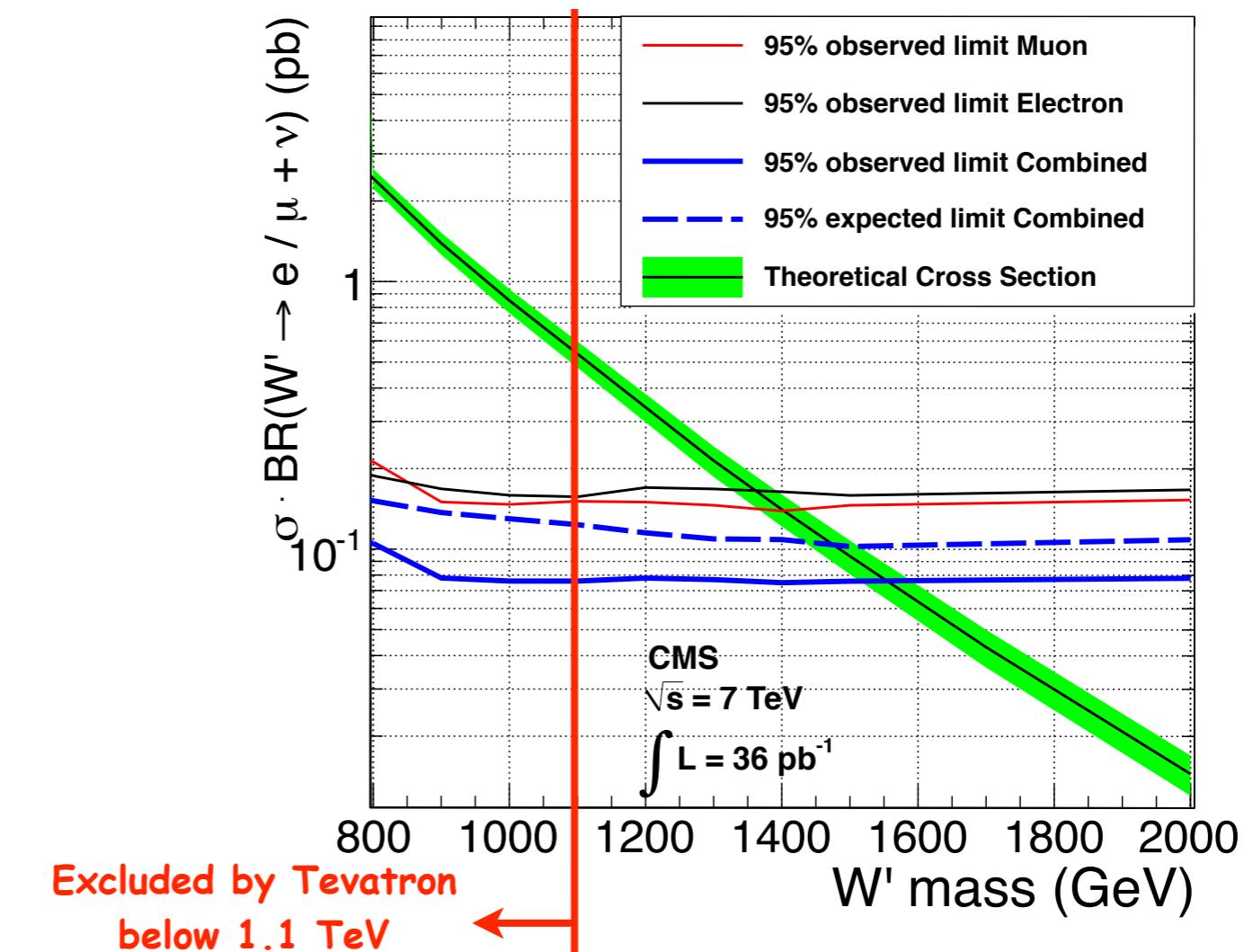


Final selection and results



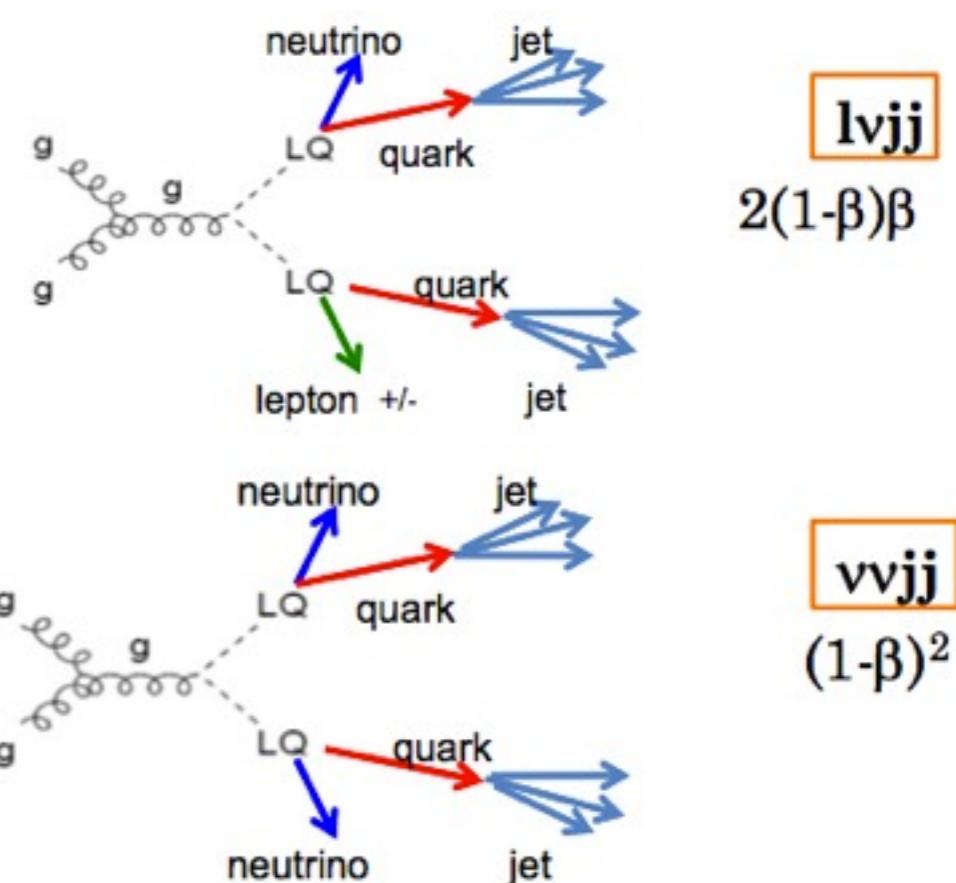
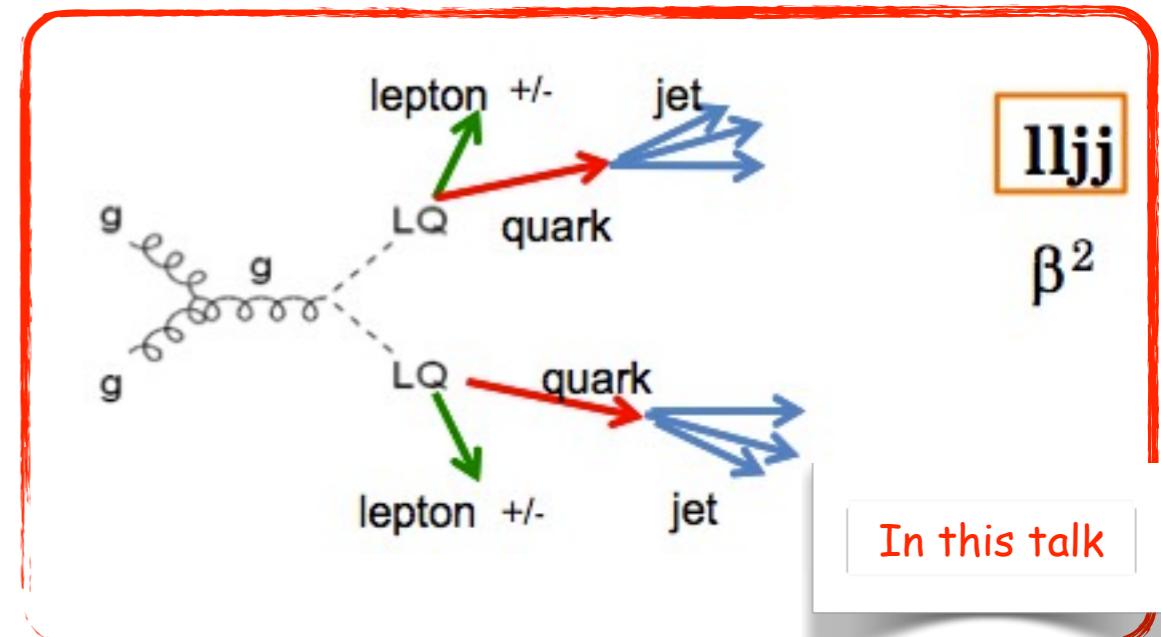
- Good agreement between data and SM prediction
- Exclusion limit up to $M(W') = 1.58 \text{ TeV}$ @ 95% C.L.
- Cut and count method: sliding search window to optimize the limit

$$M_T = \sqrt{2 \cdot E_T^{ele} \cdot E_T^{\text{miss}} \cdot (1 - \cos \Delta\phi_{eE_T^{\text{miss}}})}$$



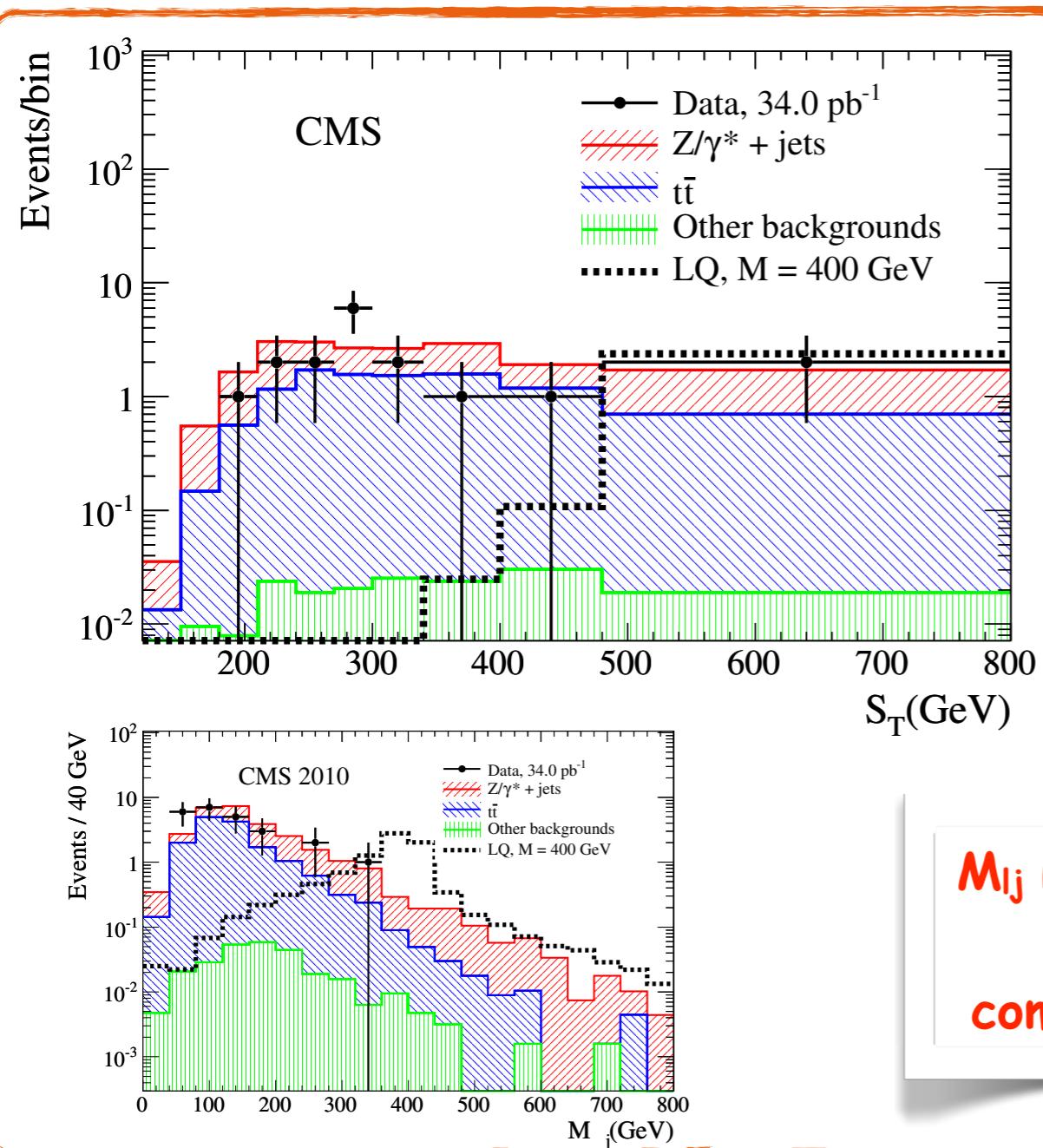
Scalar LQ pair $\rightarrow lljj$

- Three LQ generations and three signatures
- Characterized by two free parameters
 - M_{LQ} = LQ mass
 - λ = LQ - l - q coupling $< \lambda_{EM} \sim 0.3$
- Mainly produced via gluon-gluon fusion
 - λ independent
- Event selection:
 - at least: 2 isolated high-pT leptons, 2 high-pT jets
 - a lower cut on M_{ll} to remove $Z+jets$ bkg
 - $S^T = p^T(l_1) + p^T(l_2) + p^T(j_1) + p^T(j_2) > f(M_{LQ})$
- Background estimate (in common for e and mu):
 - $Z+jets$ and $T\bar{T}$ are the dominant backgrounds
 - Shape from MC
 - normalization from DATA
 - The small QCD background is determined from data
 - fake rate method

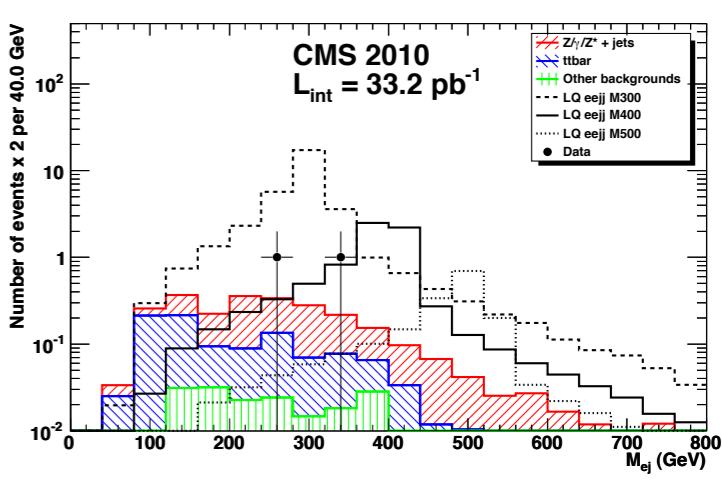
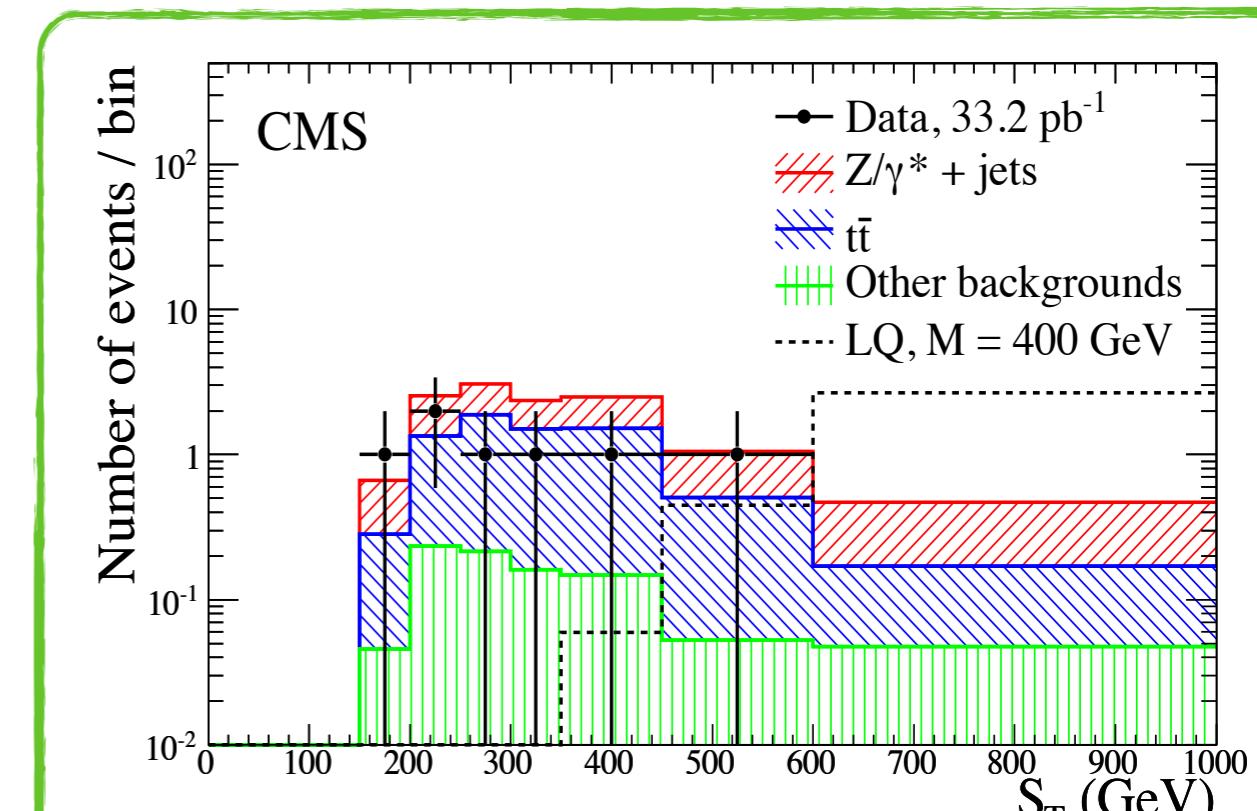
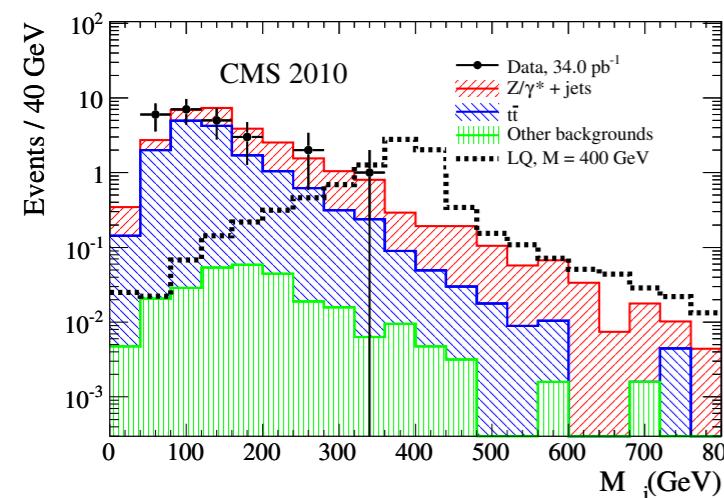


Final selection

- M_{ll} and S^T are the two most powerful variables in discriminating signal and bkg
- M_{ll} and S^T have been optimized using a Bayesian approach to minimize upper limit in a 35 pb^{-1} scenario
 - $M_{ee} > 125 \text{ GeV}$; $M_{\mu\mu} > 115 \text{ GeV}$; $S^T > f(M_{LQ})$

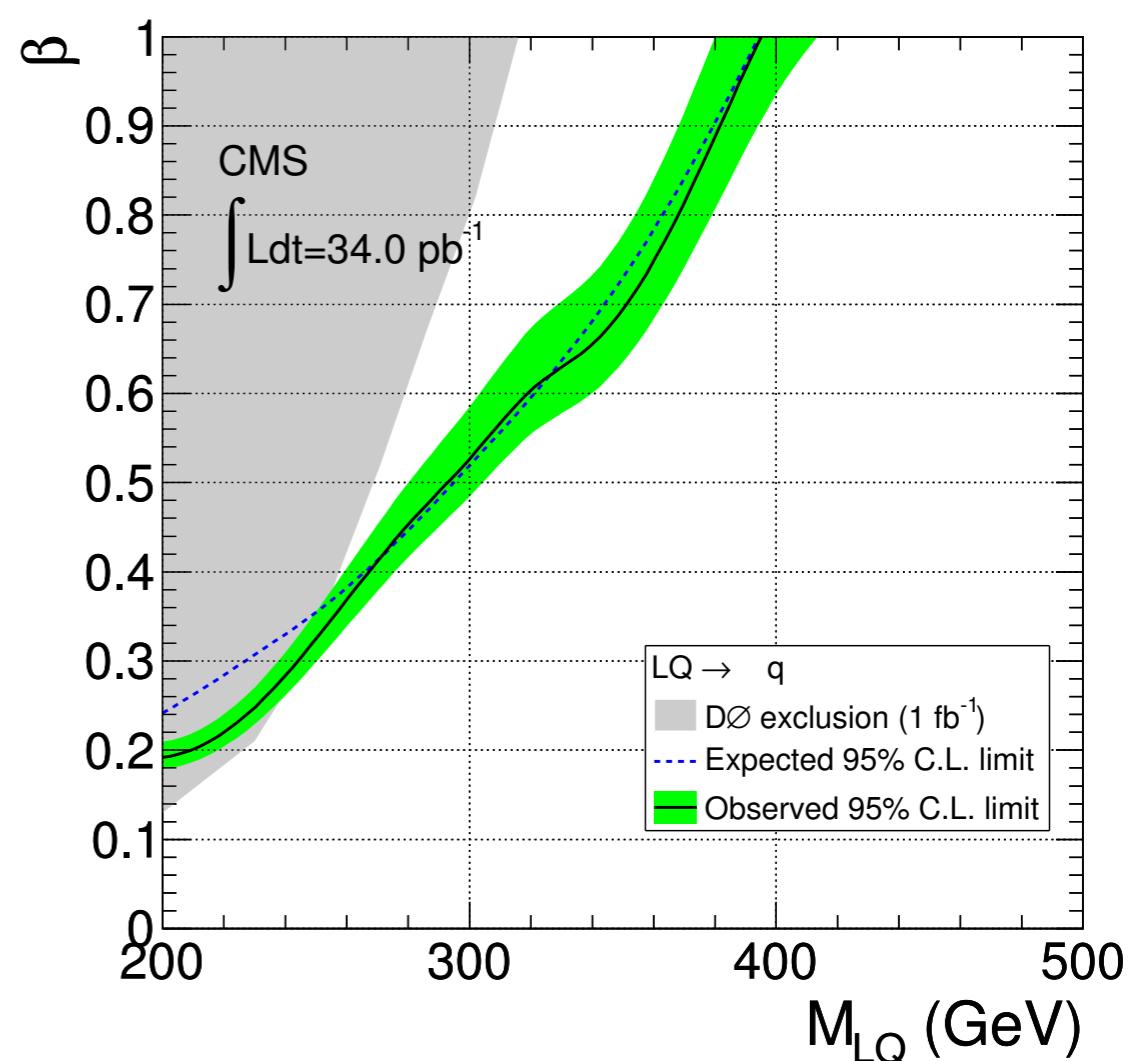
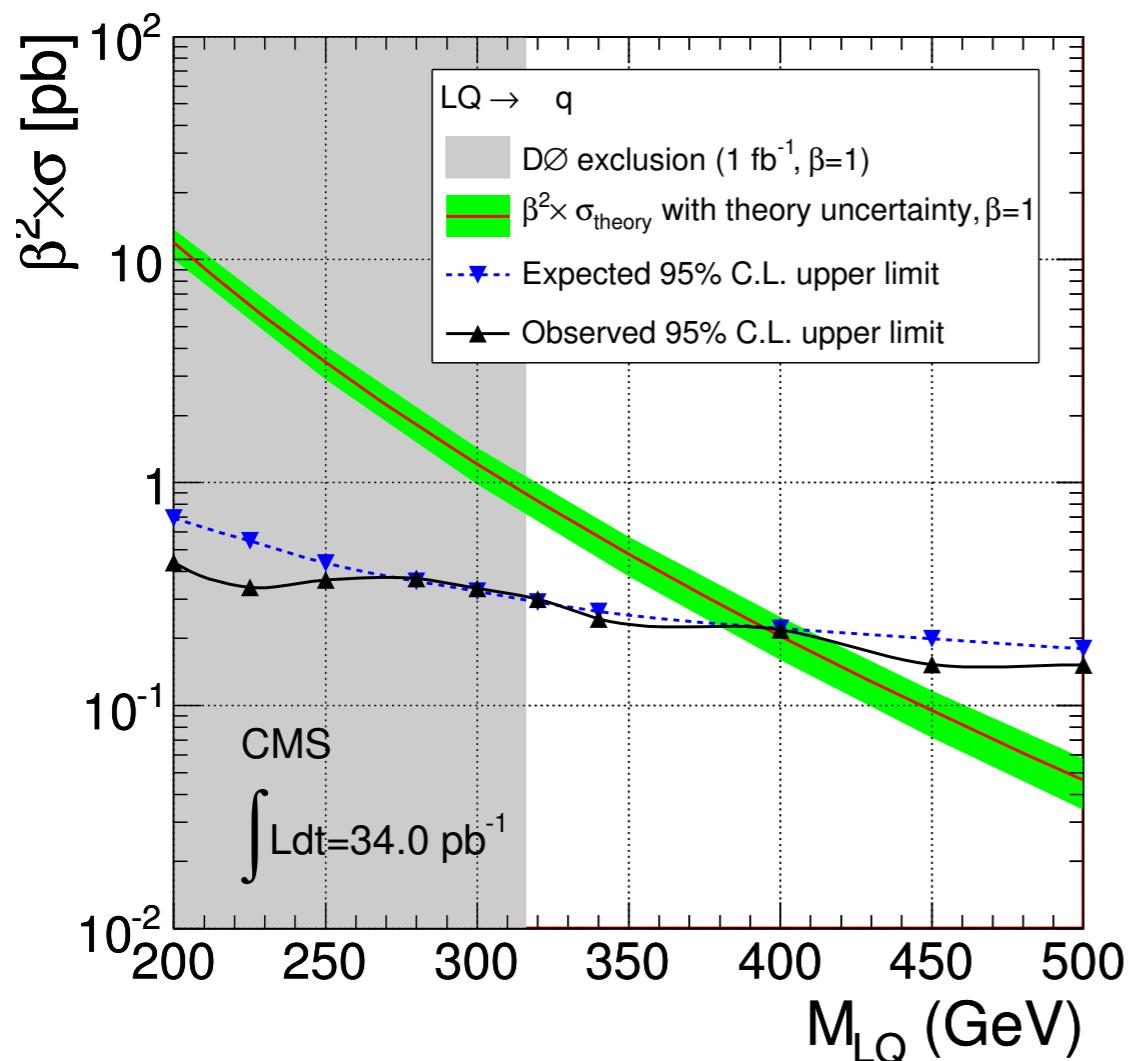


M_{lj} is affected by combinatorics



Limits on $\sigma_{\text{prod}}(\text{LQ pair})$ and M_{LQ}

- The data are consistent with SM background expectation
 - Upper limits on the LQ cross section are set using a Bayesian approach
- The existence of first and second generation LQs with mass below 384 and 394 GeV, respectively, are excluded for $\beta=1$



Summary

- Good understanding of the detector and backgrounds in a variety of channels
 - data-driven background estimation in most cases
- Searches for new physics phenomena with high- p^T leptons in the final state have been performed
- No excess found in DATA
- New exclusion limits for Z' , W' and LQ pair

<https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsEXO>

BACKUP

- Muon identification and quality cuts:
- Tracker & global muon
- ≥ 11 silicon tracker hits
- ≥ 1 pixel hit
- $\chi^2 / \text{Ndof} < 10$
- Transverse impact parameter $d_0 < 0.02$ cm (order of magnitude tighter than VBTF recommendation)
- At least 2 matched muon segments

HEEP Selection cuts v3.0

Official HEEP Selection v3.0 (Current Version)		
Variable	Barrel	Endcap
E_T	$> 25 \text{ GeV}$	$> 25 \text{ GeV}$
$ \eta_{\text{scl}} $	< 1.442	$1.560 < \eta_{\text{scl}} < 2.5$
isEcalDriven		=1
$ \Delta\eta_{\text{inl}} $	< 0.005	< 0.007
$ \Delta\phi_{\text{inl}} $	< 0.09	< 0.09
H/E	< 0.05	< 0.05
σ_{inj}	n/a	< 0.03
$E^{2\times 5}/E^{5\times 5}$	$> 0.94 \text{ OR } E^{1\times 5}/E^{5\times 5} > 0.83$	n/a
EM + Had Depth 1 Isolation	$< 2 + 0.03 \cdot E_T$	$< 2.5 \text{ for } E_T < 50 \text{ else}$ $< 2.5 + 0.03 \cdot (E_T - 50)$
Had Depth 2 Isolation	n/a	< 0.5
Track Isol: Trk Pt	< 7.5	< 15

LQs event yield

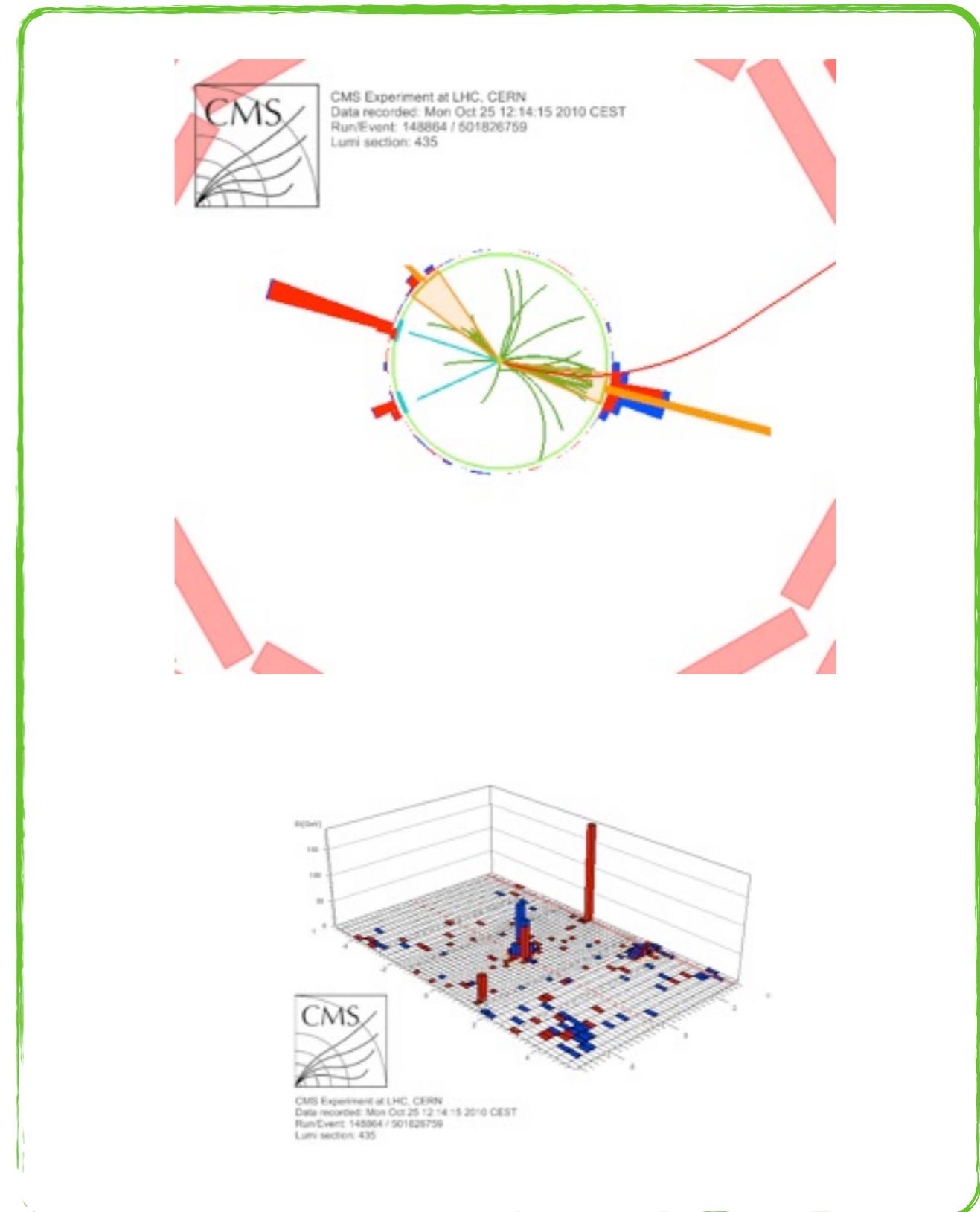
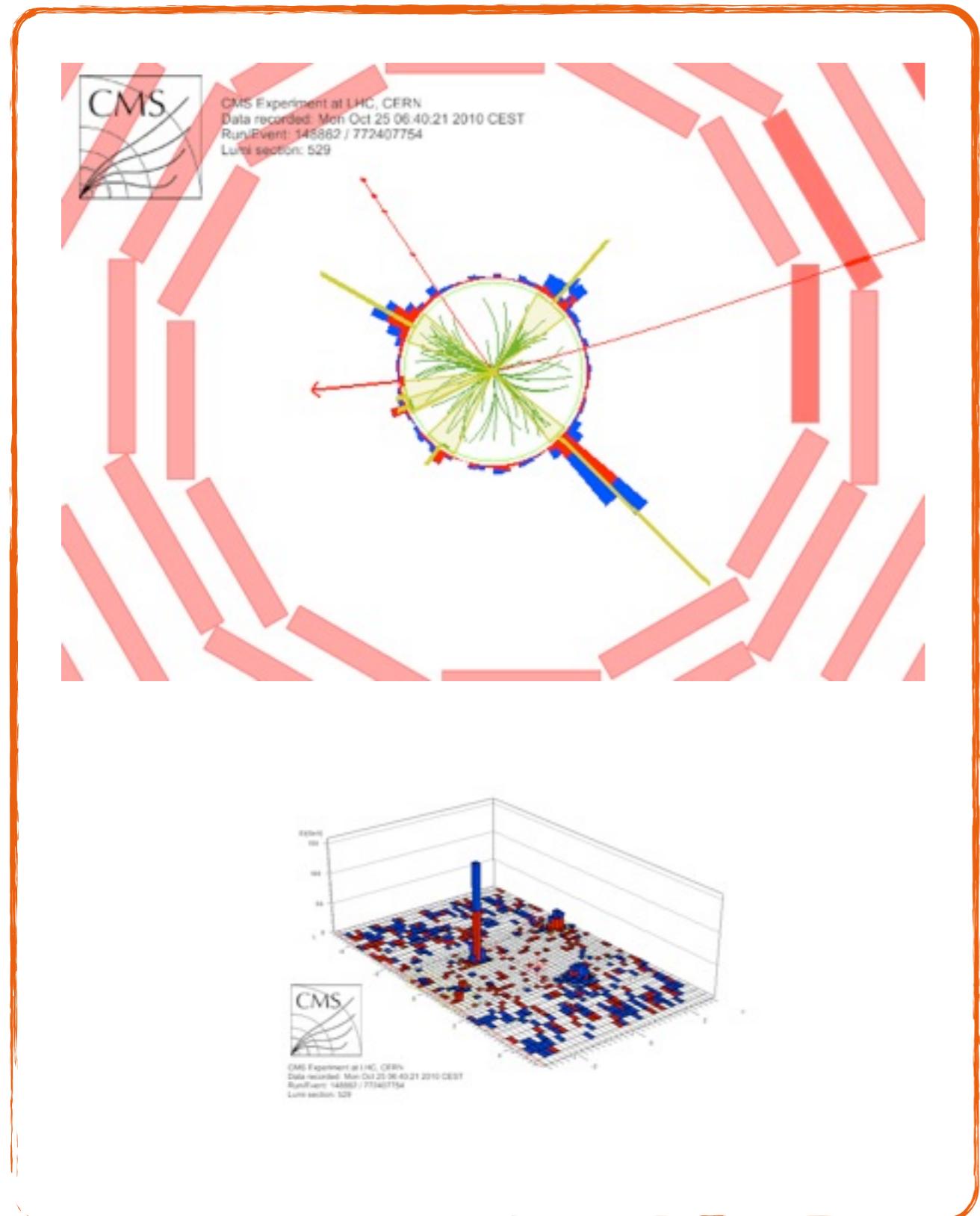
2 electrons $P_T > 30 \text{ GeV}$, $|\eta| < 2.5$; 2 jets $P_T > 30 \text{ GeV}$, $|\eta| < 3$; $\Delta R(e, j) > 0.7$; $M_{ee} > 125 \text{ GeV}$; $S_T > f(M_{LQ})$

M_{LQ} (S_T Request) [GeV]	MC Signal Samples		Monte Carlo Background Samples				Events in Data
	Selected Events	Acceptance \times Efficiency	$t\bar{t} + \text{jets}$	$Z/\gamma + \text{jets}$	Others	All	
250 ($S_T > 400$)	43.8 \pm 0.2	0.380 \pm 0.002	1.1 \pm 0.06	1.3 \pm 0.1	0.14 \pm 0.02	2.5 \pm 0.1	1
300 ($S_T > 470$)	17.3 \pm 0.1	0.430 \pm 0.002	0.44 \pm 0.04	0.75 \pm 0.07	0.10 \pm 0.02	1.3 \pm 0.1	1
340 ($S_T > 510$)	8.88 \pm 0.04	0.469 \pm 0.002	0.27 \pm 0.03	0.56 \pm 0.06	0.08 \pm 0.02	0.91 \pm 0.08	1
400 ($S_T > 560$)	3.55 \pm 0.02	0.522 \pm 0.002	0.17 \pm 0.02	0.41 \pm 0.05	0.06 \pm 0.02	0.63 \pm 0.06	1
450 ($S_T > 620$)	1.70 \pm 0.01	0.539 \pm 0.002	0.10 \pm 0.02	0.28 \pm 0.05	0.02 \pm 0.01	0.41 \pm 0.06	0

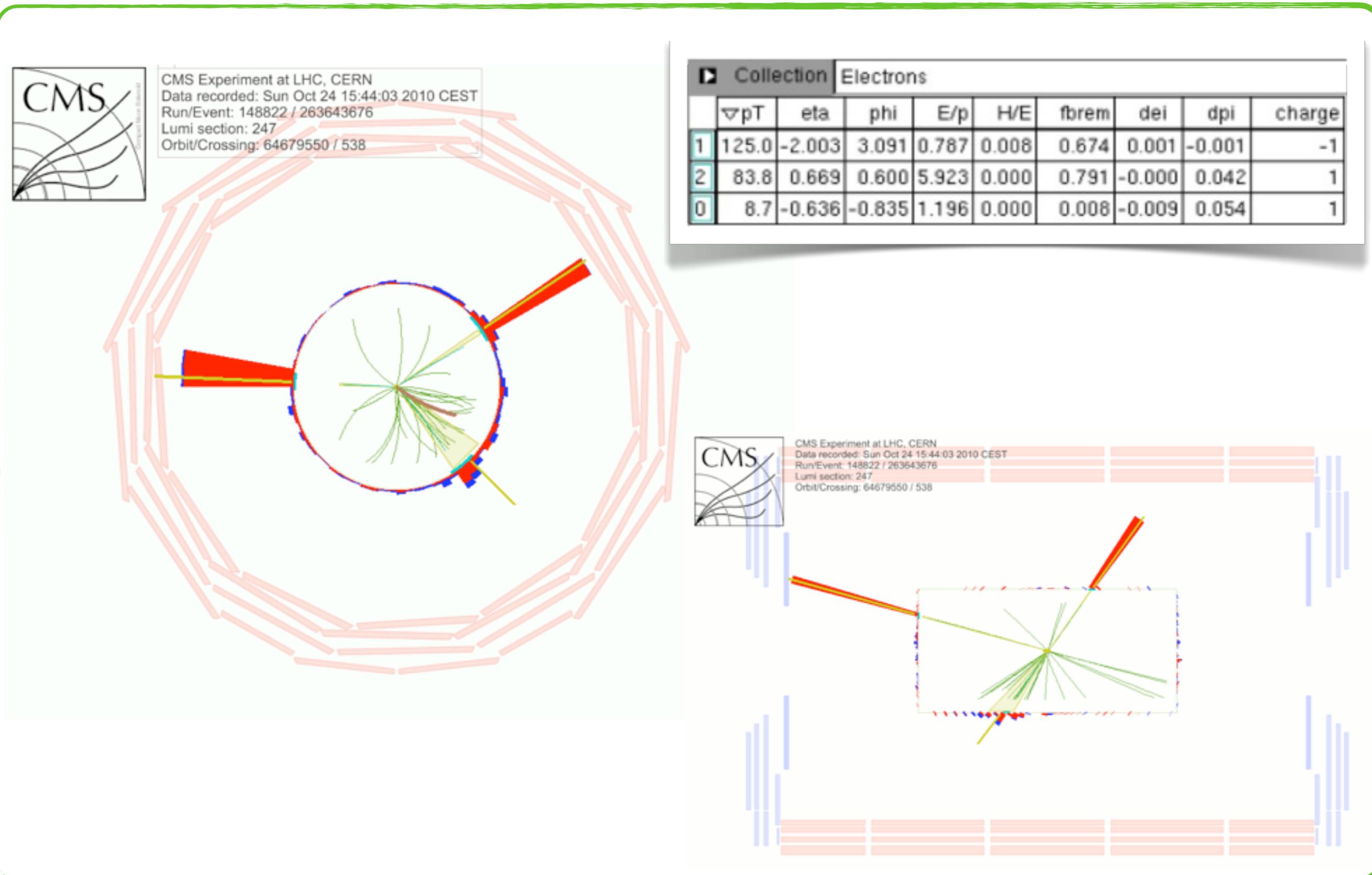
2 muons $P_T > 30 \text{ GeV}$, $|\eta| < 2.4(2.1)$; $\Delta R(\mu, \mu) > 0.3$; 2 jets $P_T > 30 \text{ GeV}$, $|\eta| < 3$; $M_{\mu\mu} > 115 \text{ GeV}$; $S_T > f(M_{LQ}) \text{ GeV}$

M_{LQ}	S_T	$Z/\gamma^* + \text{jets}$	$t\bar{t}$	Other Bkg	All Bkg	Data	S	ϵ_S
250	400	1.92 ± 0.03	1.60 ± 0.08	0.05 ± 0.01	3.57 ± 0.09	3	51.5 ± 5.2	0.437 ± 0.003
300	449	1.53 ± 0.03	0.98 ± 0.06	0.04 ± 0.01	2.54 ± 0.07	3	21.3 ± 2.1	0.518 ± 0.004
340	530	0.79 ± 0.01	0.34 ± 0.04	0.01 ± 0.00	1.14 ± 0.04	1	9.8 ± 1.0	0.508 ± 0.003
400	560	0.67 ± 0.01	0.27 ± 0.03	0.01 ± 0.00	0.94 ± 0.03	1	4.0 ± 0.4	0.578 ± 0.004
450	620	0.49 ± 0.01	0.16 ± 0.02	0.01 ± 0.00	0.66 ± 0.03	0	1.9 ± 0.2	0.600 ± 0.004

LQs event display

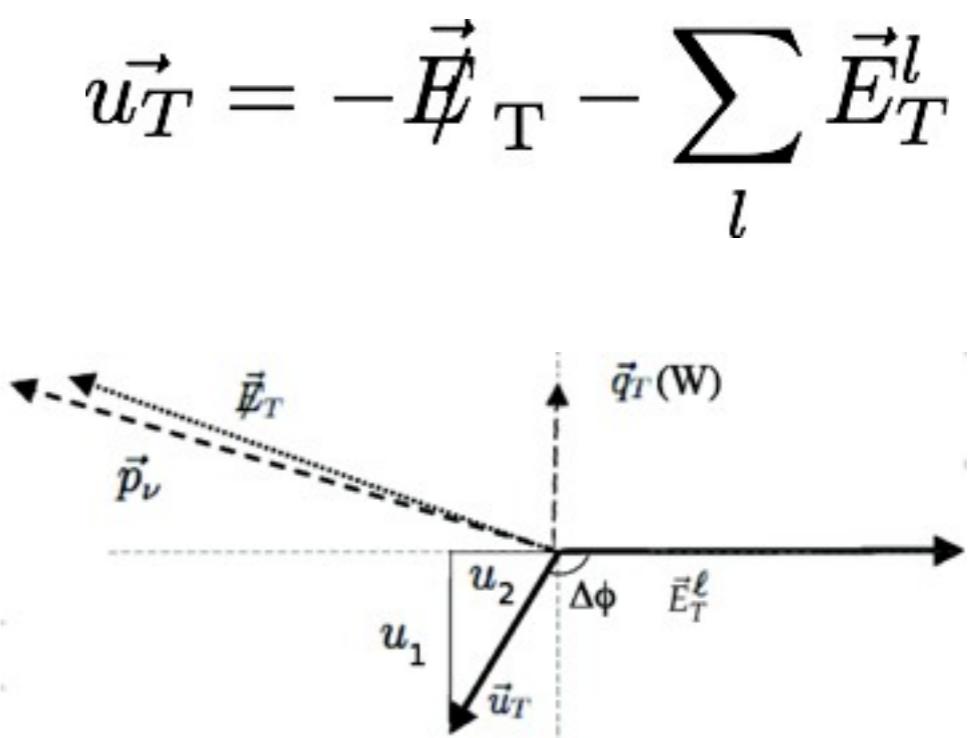
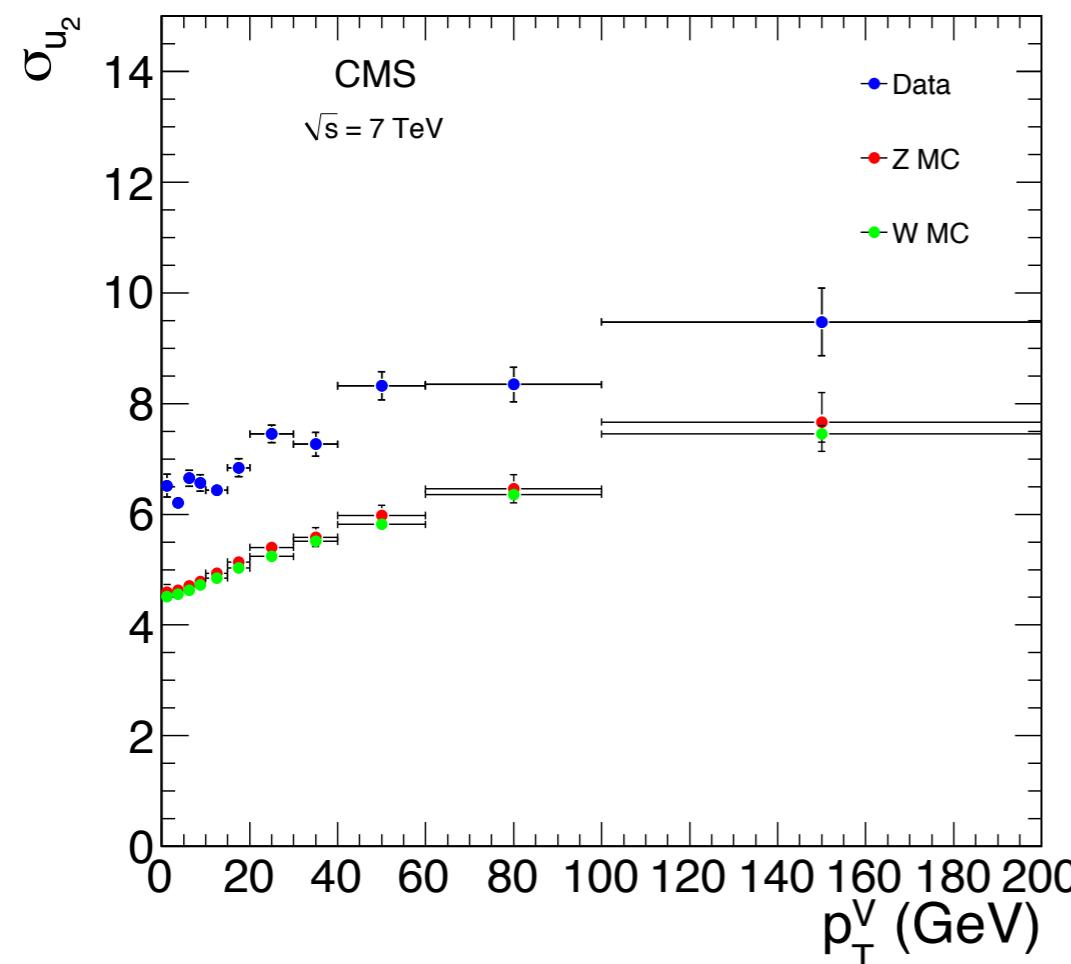


Z' high mass event display



Hadron recoil

- The Wenu shape is from MC, but corrected to take into account differences between DATA and MC
- Estimate the parallel (u_1) and transverse (u_2) component of the hadron recoil in MC and DATA using $Z \rightarrow ee$ events.



- The same procedure is used in the W cross section measurement

Wenu recoil correction

- For both u_1 and u_2 we are correcting for the differences between data and MC on an event by event basis

$$\sigma_{ui}(p_T^W) = \frac{\sigma_{ui}^{Zdata}(p_T^W)}{\sigma_{ui}^{Zmc}(p_T^W)} \cdot \sigma_{ui}^{Wmc}(p_T^W)$$

$$u_i = \text{Gauss}(f_{ui}(p_T^W), \sigma_{ui}(p_T^W))$$

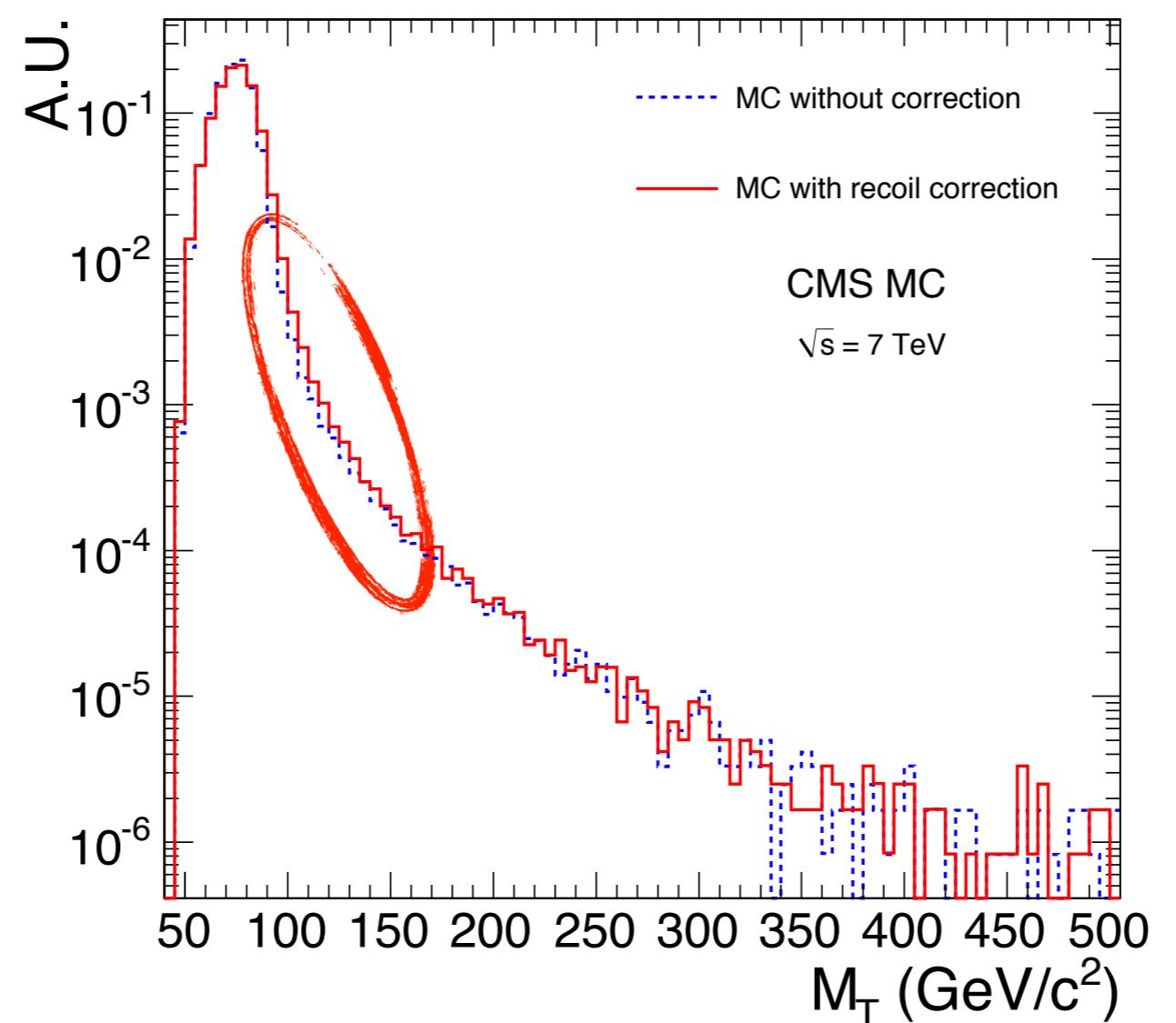
$$\vec{u}_T = \vec{u}_1 + \vec{u}_2$$

$$\vec{E}_T^{corr} = -\vec{u}_T - \vec{E}_T^{ele}$$

- Gen level MC used to extract the $W P_T$.

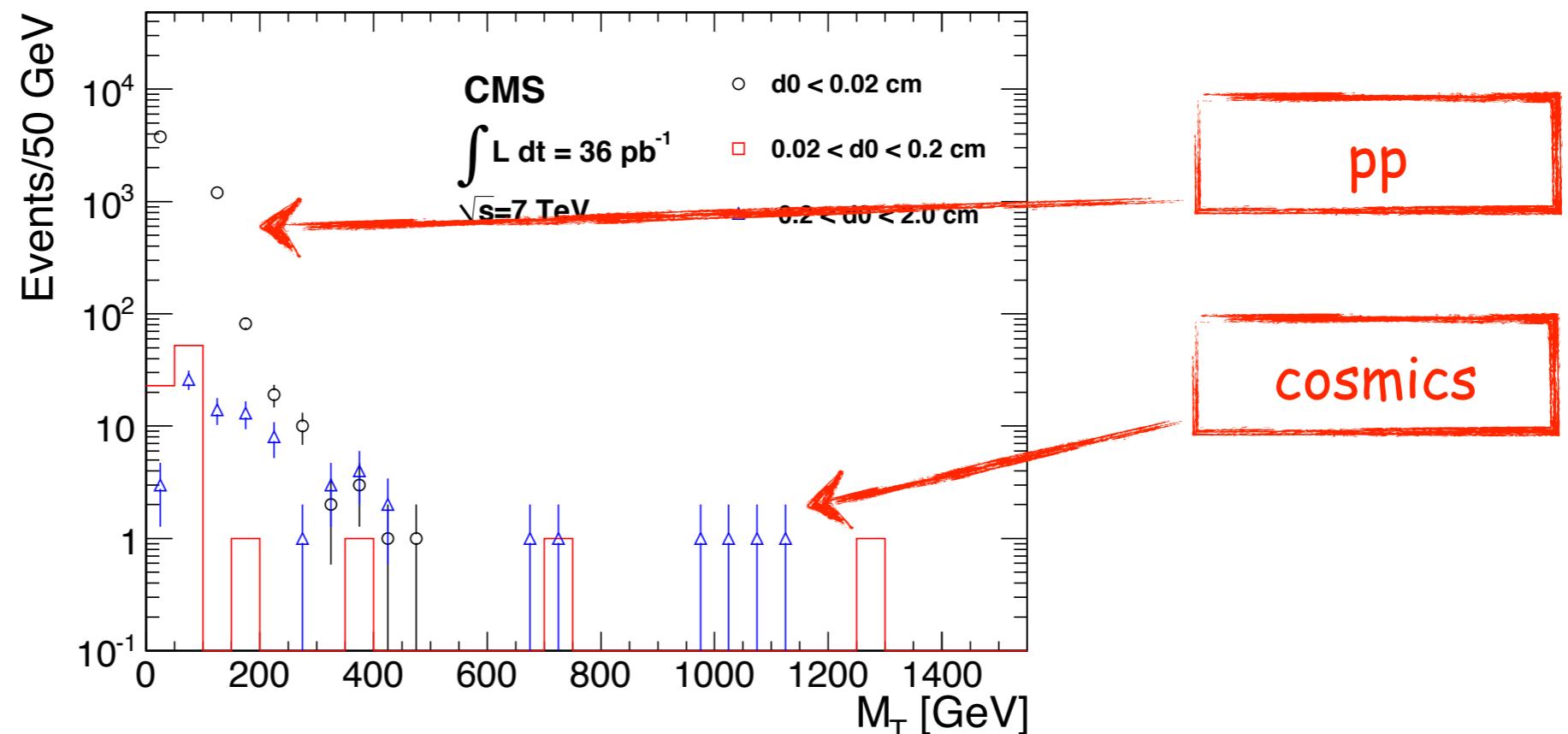
Wenu recoil correction

- After the correction, the shapes differ mainly in the region of transverse mass between 80 and 120 GeV



Cosmics contamination

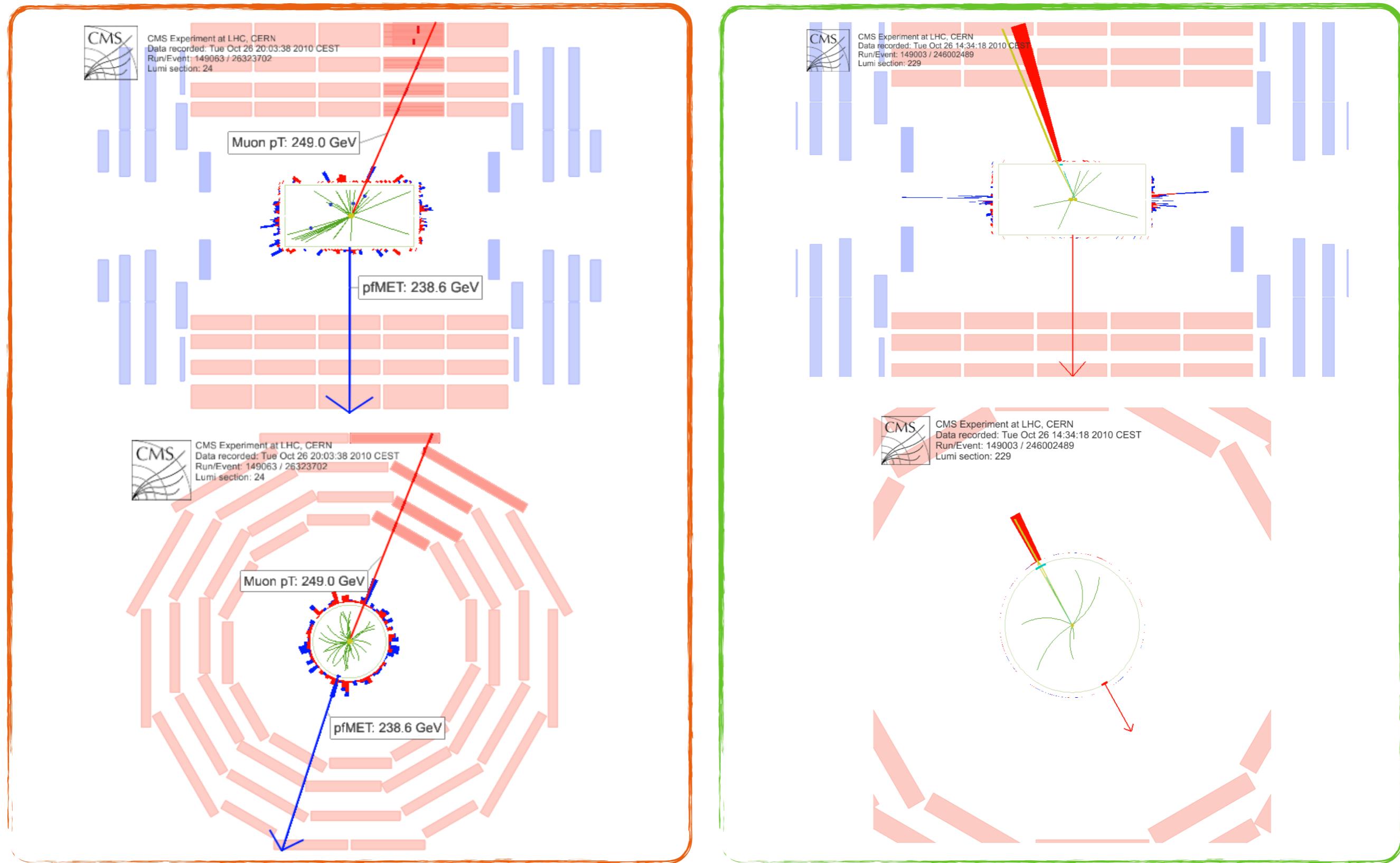
- Not taken into account in the sideband fit
- Cosmics contamination more relevant for tail of M^T distribution



- Contamination for $d_0 < 0.02$ cm

M_T [GeV/c ²] range	Collision background	Cosmic background	Total background
$180 < M_T < 350$	54.7 ± 7.3	0.19 ± 0.04	54.9 ± 7.3
$M_T > 350$	3.6 ± 1.0	0.15 ± 0.04	3.8 ± 1.0
$M_T > 400$	2.2 ± 0.6	0.10 ± 0.03	2.3 ± 0.6
$M_T > 500$	1.0 ± 0.3	0.08 ± 0.03	1.1 ± 0.3
$M_T > 600$	0.54 ± 0.15	0.08 ± 0.03	0.62 ± 0.15

W' event display



Bayesian upper limit

- A Bayesian tool to calculate the expected and observed 95% C.L. upper limits is used

$$\int_{-\infty}^{\sigma_{\text{up}}(n)} p(\sigma|n, A, \mathcal{L}, b) d\sigma = \frac{\int_{-\infty}^{\sigma_{\text{up}}(n)} L'(n|\sigma, A, \mathcal{L}, b) \pi(\sigma) d\sigma}{\int_{-\infty}^{+\infty} L'(n|\sigma, A, \mathcal{L}, b) \pi(\sigma) d\sigma} = 0.95$$

$$L'(n|\sigma, A, \mathcal{L}, b) = \int_0^{+\infty} \int_0^{+\infty} \int_0^{+\infty} L(n|\sigma, A', \mathcal{L}', b') \underbrace{g(A') h(\mathcal{L}') f(b')}_{g(A'), h(\mathcal{L}'), f(b')} dA' d\mathcal{L}' db'$$

Flat prior

$$\pi(\sigma) = \begin{cases} 0 & \sigma < 0 \\ 1 & \sigma \geq 0 \end{cases}$$

Log-normal distributions describing uncertainties in A' , \mathcal{L}' , b'

Poisson distribution

$$L(n|\sigma, A', \mathcal{L}', b') = \frac{(\sigma A' \mathcal{L}' + b')^n}{n!} e^{-(\sigma A' \mathcal{L}' + b')}$$

Expected upper limit

$$\langle \sigma_{\text{up}} \rangle = \sum_{n=0}^{+\infty} \sigma_{\text{up}}(n) L(n|\sigma = 0, A, \mathcal{L}, b)$$

n = number of observed events

A = acceptance \times efficiency

\mathcal{L} = integrated luminosity

b = expected number of background events

Channel combination

- **Extension to two channels**, currently straightforward extension of the implemented Bayesian upper limit for a counting exp.

$$\begin{aligned} \Pi_{\text{post}}(\sigma | N_{\text{obs},1}, N_{\text{obs},2}) &= \int dL d\epsilon_1 db_1 d\epsilon_2 db_2 \\ &\frac{(\sigma \cdot L \cdot \epsilon_1 + b_1)^{N_{\text{obs},1}}}{N_{\text{obs},1}!} \cdot e^{-(\sigma \cdot L \cdot \epsilon_1 + b_1)} \cdot \frac{(\sigma \cdot L \cdot \epsilon_2 + b_2)^{N_{\text{obs},2}}}{N_{\text{obs},2}!} \cdot e^{-(\sigma \cdot L \cdot \epsilon_2 + b_2)} \\ &\cdot \pi(b_1) \cdot \pi(\epsilon_1) \cdot \pi(b_2) \cdot \pi(\epsilon_2) \cdot \pi(L) \cdot \pi_{\text{poi}}(\sigma) \end{aligned}$$

- **Underlying Assumptions:**
 - Identical branching ratio for electron and muon channel
 - Uncertainty on luminosity fully correlated
 - Uncertainties on signal efficiency and background currently fully uncorrelated (also tested fully correlated → same limit)